Roll No.

Total No. of Pages: 02

Total No. of Questions: 18

B.Tech.(CSE)/(EE)/(ME)/(Civil Engg.) (2018 & Onwards) (Sem.-2)

MATHEMATICS-II

Subject Code: BTAM-201-18 M.Code: 76254

Time: 3 Hrs. Max. Marks: 60

INSTRUCTIONS TO CANDIDATES:

- 1. SECTION-A is COMPULSORY consisting of TEN questions carrying TWO marks each.
- 2. SECTION B & C have FOUR questions each.
- 3. Attempt any FIVE questions from SECTION B & C carrying EIGHT marks each.
- 4. Select atleast TWO questions from SECTION B & C.

SECTION-A

Answer briefly:

- 1) Is the differential equation $e^x (\cos y dx \sin y dy) = 0$ exact?
- 2) Write the Laplace equation is cylindrical coordinates.
- 3) Write the 1-D diffusion equation.
- 4) Write the Euler's equation.
- 5) Convert the equation $ax^2 + by^2 = 1$ into differential equation.
- 6) Find the integrating factor, which makes the equation $(5x^3 + 12x^2 + 6y^2) dx + 6xydy = 0$ exact.
- 7) Find the solution of the differential equation $y^{1} 3y^{1} 2y = 0$
- 8) Is $xv_x + yv_y = v^2$ a non-linear PDE?
- 9) Check if the PDE 2r s t p + q = 0, is parabolic, elliptic or hyperbolic?
- 10) Define linear ODE.

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SECTION-B

11) Find the power series solution about x = 0, of the differential equation $y^{\dagger} - 4y = 0$.

12) Solve the differential equation $y^{\frac{1}{3}} + 4xy + xy^{3} = 0$.

13) Solve by method of variation of parameters $y^1 - 2y^1 + y = e^x \tan x$.

14) Solve $(D^2 + DD^{\dagger} - 6D^{\dagger 2}) z = y \sin x$.

SECTION-C

15) Find the general solution of the Lagrange's equation 2yzp + zxq = 3xy.

16) a) Find the complete integral of the PDE p(3+q) = 2qz.

b) Find the general solution of the PDE $(2D^2 - DD^1 - D^1)z = e^{2x + 3y}$

17) a) Derive D'Alembert's solution of 1-D wave equation.

b) Solve $y^2p^2 - 3xp + y = 0$

18) a) Solve $\frac{d^2y}{dx^2} \Box 5 \frac{dy}{dx} = 6y \Box e^{4x}$.

b) Solve $2\int \frac{dy}{dx} \left[x^2 \right] \sin 3x$

NOTE: Disclosure of Identity by writing Mobile No. or Making of passing request on any page of Answer Sheet will lead to UMC against the Student.

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