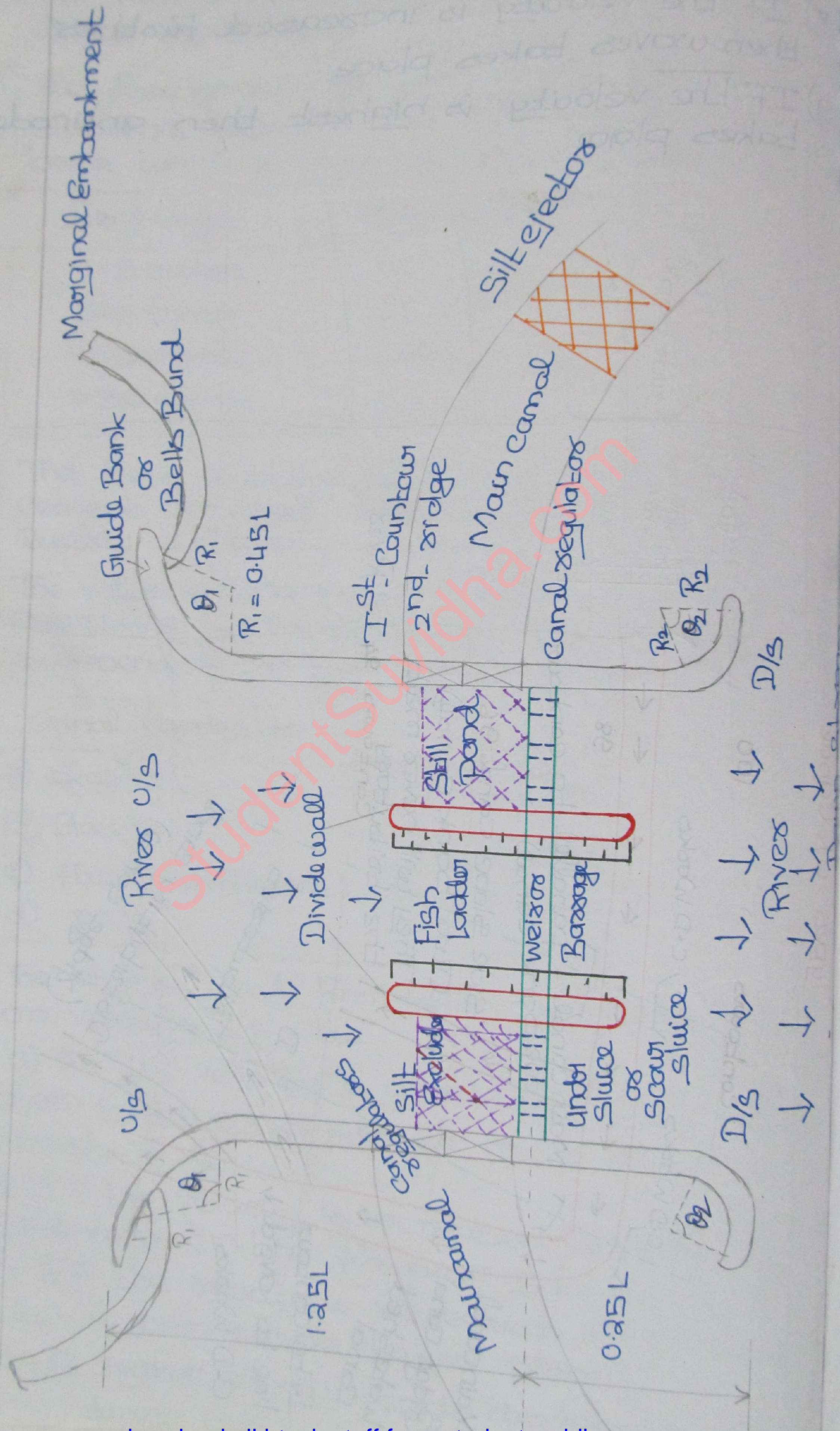


25/11/2010
26/11/2010

Diversion Head Work



- 1) Lay
- 2) R_1 (U)
- 3) θ_1 (U)
- 4) R_2 (U)
- 5) θ_2 (U)
- 6) Weir

Layout of DHW

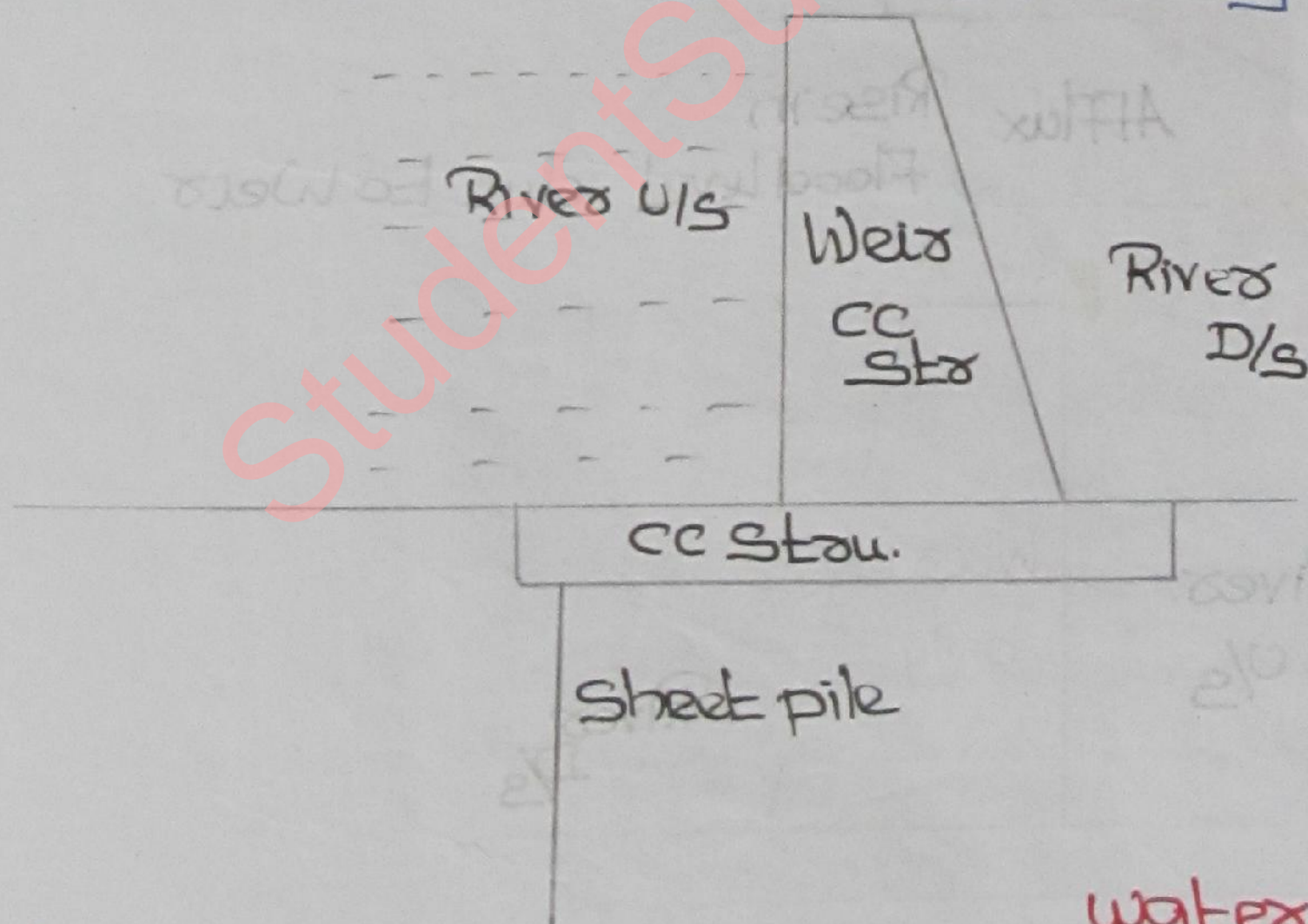
- ① $R_1(U/S) = 0.45L$, $L = 4.75\sqrt{Q}$
- ② $\theta_1(U/S) = 120^\circ \text{ to } 135^\circ$
- ③ $R_2(D/S) = R_1/2$
- ④ $\theta_2(D/S) = 45^\circ \text{ to } 60^\circ$

5) parts of DHW

- a) Marginal Embankment
- b) Guide Bank or Belts bund
- c) Weir or Barrage
- d) Divide wall
- e) Fish ladder
- f) Scour Sluice (under sluice)
- g) Canal regulators

6) Weir:-

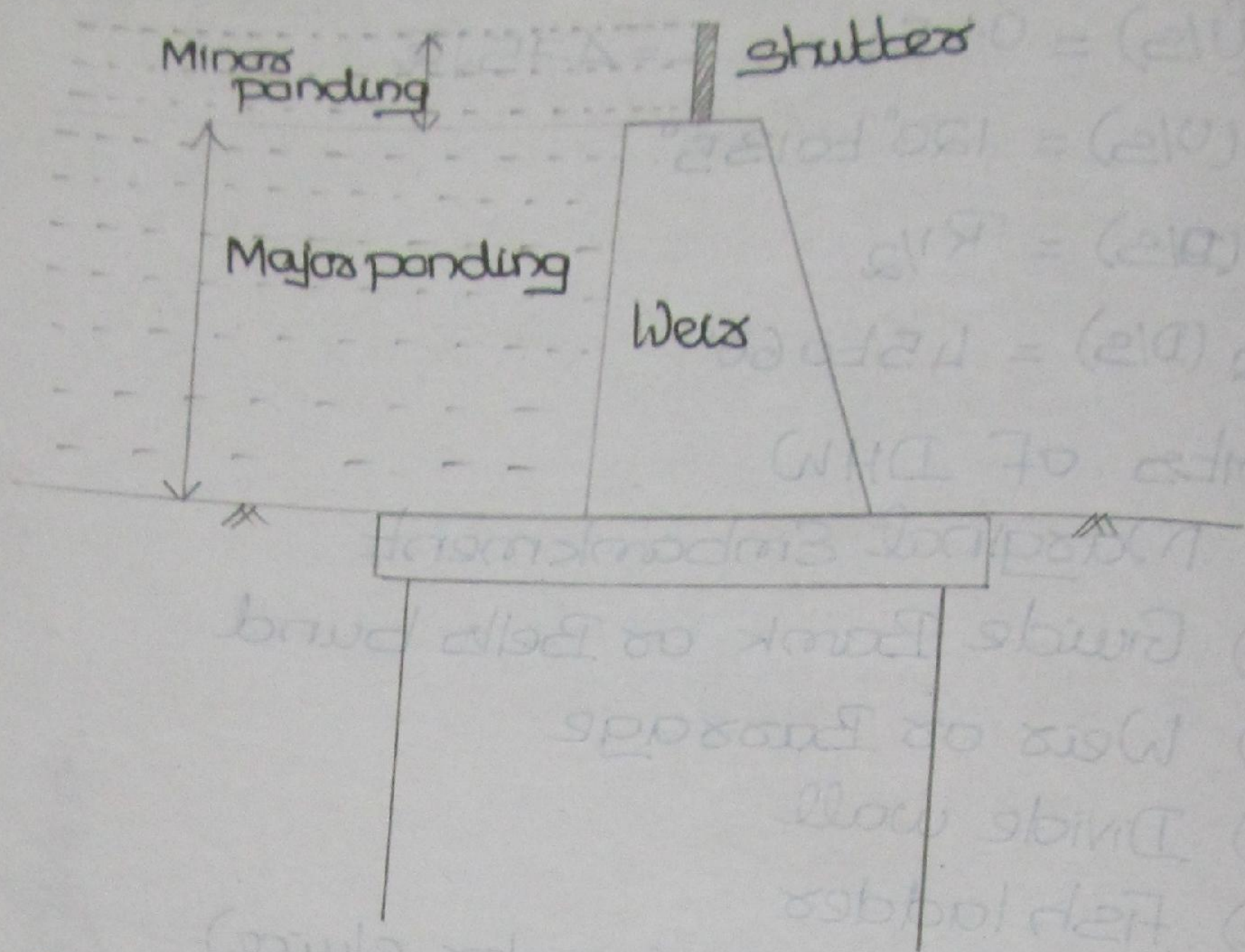
- permanent barriers across the river
just to raise the water level so that the
river water can be taken away by the canal



Length of Weir is Linear ^{water} ~~way~~ way.

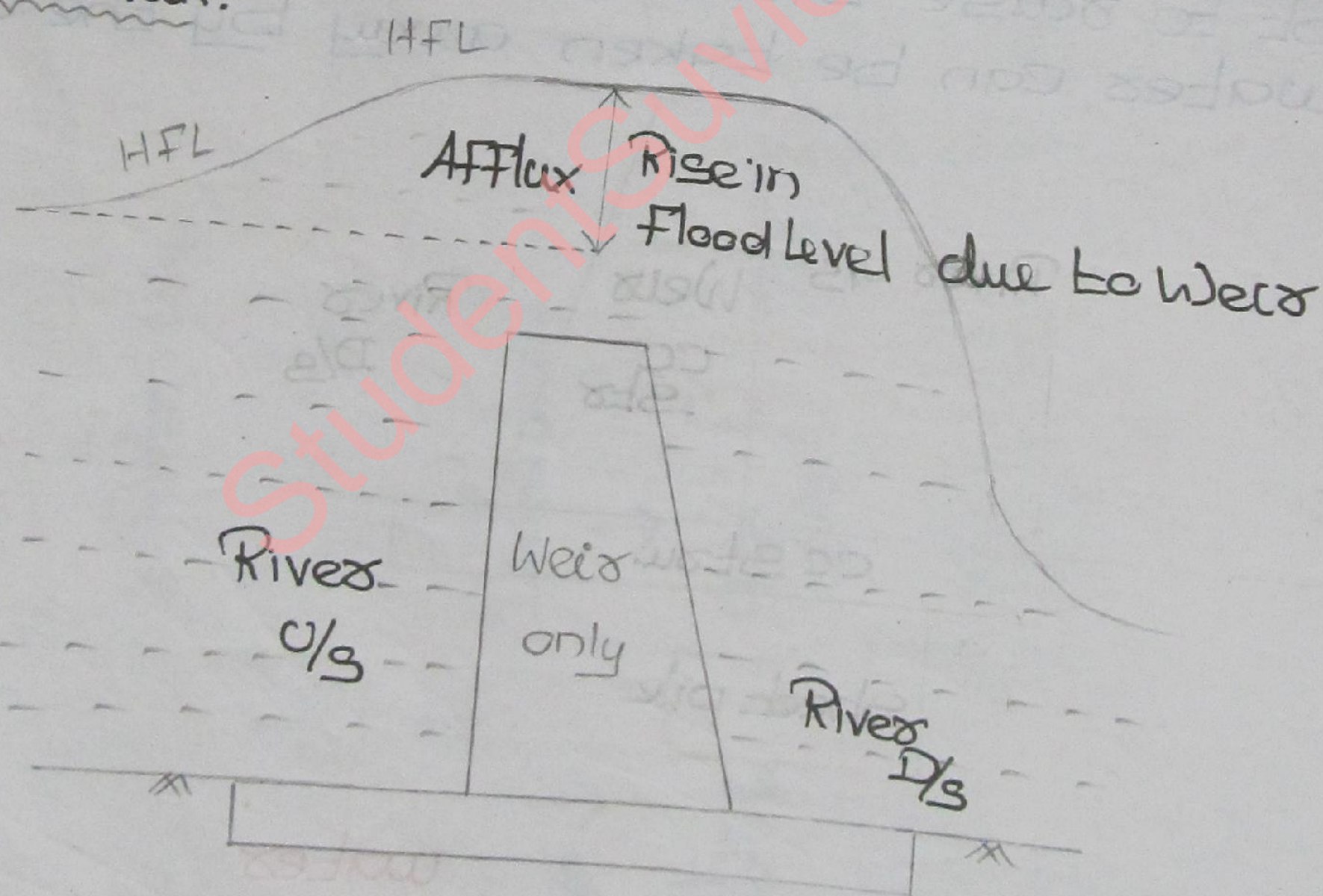
$$L_{ww} = 4.75\sqrt{Q}$$

Weir is a cement concrete structure

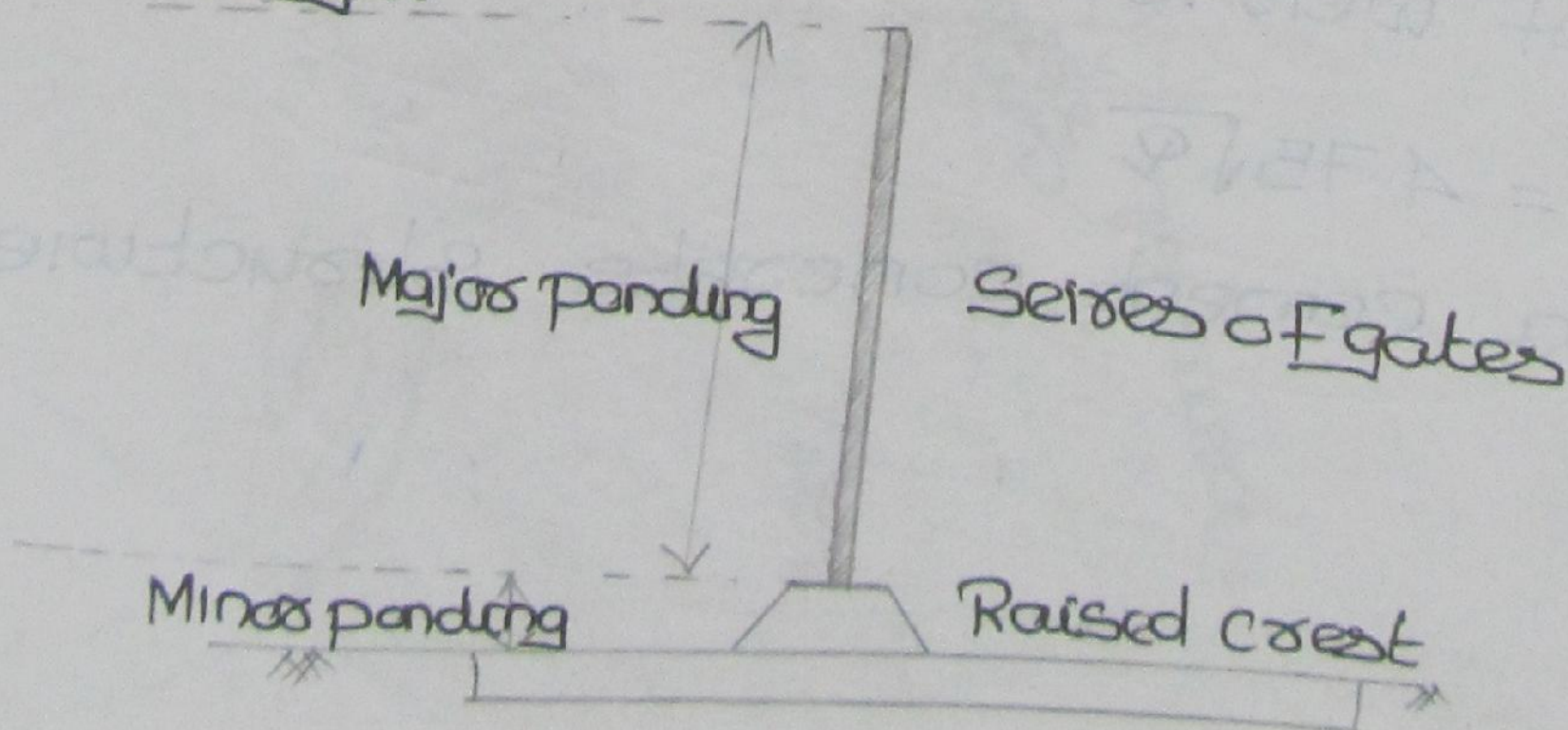


IF the major ponding is done by the **raised crest (structure)** and minor ponding is achieved by the **shutter**, then the barrier across the river is called **Weir**.

8) Afflux:-



9) Barrage:-

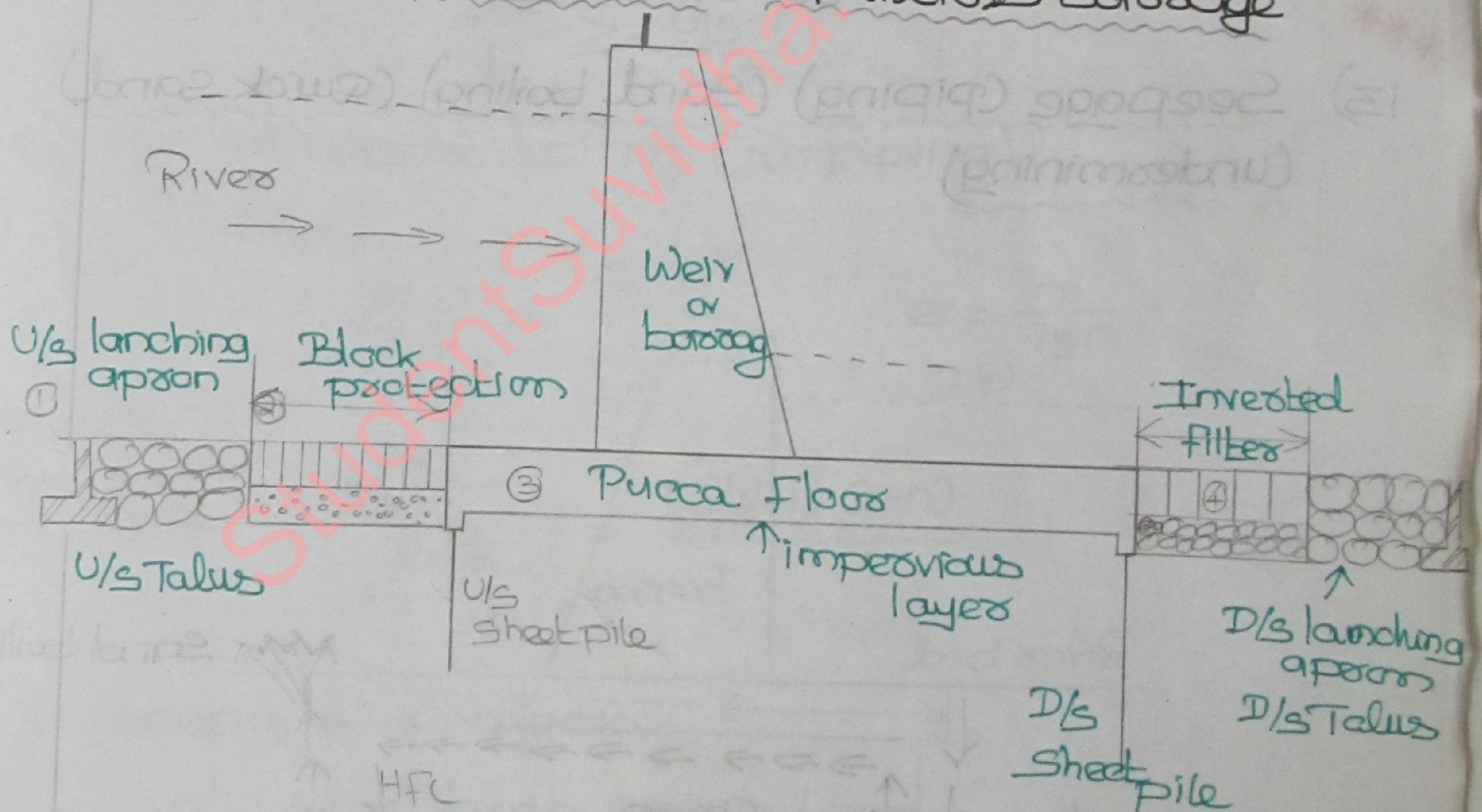


If major ponding is achieved by ~~sea~~ shutters and minor ponding by the raised crest then the barrier across the river is called Barrage.

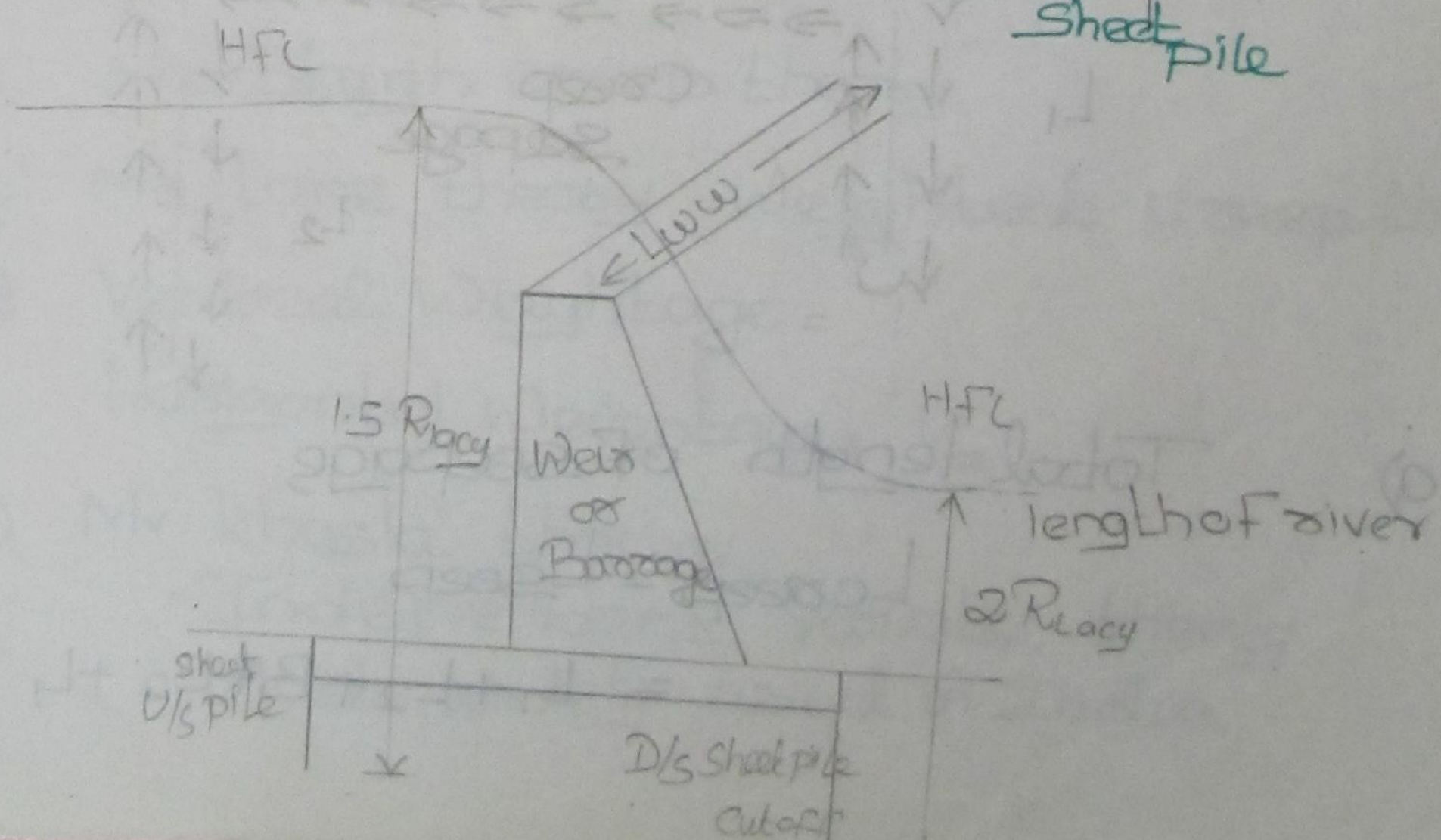
During Flood the shutters of the barrage are lifted up due to which there is no chance of developing Afflux. hence better control over the river can be obtained by the barrage as well as bridge can be constructed easily.

10) Barrage is costlier than the Weir (No maintenance in the weir but maintenance is mandatory in the case of barrage), even though barrage is preferred.

11) parts of foundation of weir & barrage



12)



Depth of sheet pile = $1.5 R_{lacy} - HFL$

$$R_{lacy} = 1.35 \left[\frac{q^2}{F} \right]^{1/3}$$

Depth of sheet pile (D/S) = $2 R_{lacy} - HFL$

$$q = \frac{Q}{L_{ww}} = \frac{Q}{L} = \frac{Q}{4.75 \sqrt{Q}}$$

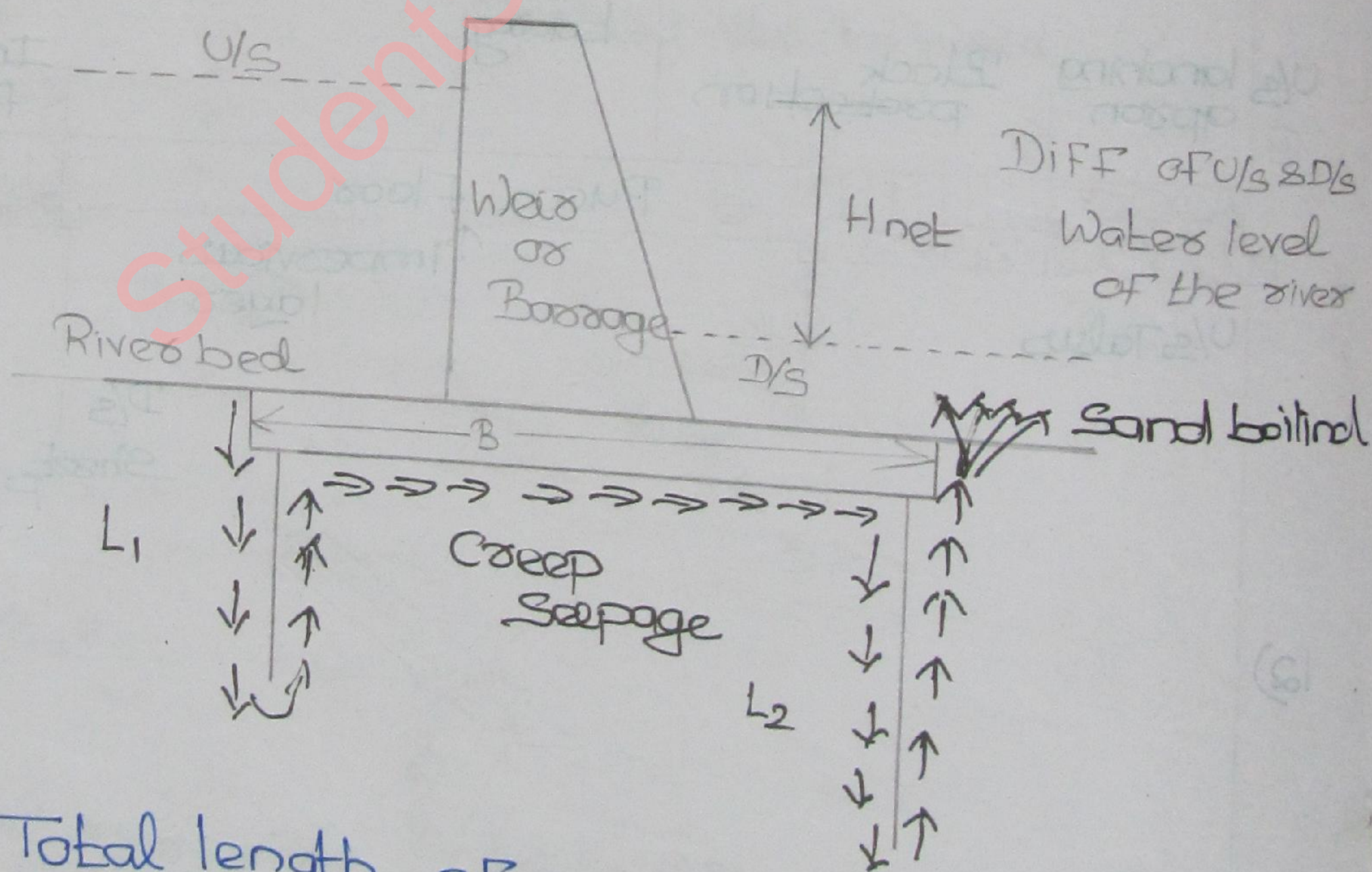
$$R_{lacy} = 1.35 \left[\frac{q^2}{F} \right]^{1/3}$$

$$0.47 \left[\frac{Q}{F} \right]^{1/3}$$

F - Silt factor = $1.76 \sqrt{d}$

d - Silt size in 'mm'

13) Seepage (Piping) (Sand boiling) (Quick sand)
(Undermining)



a) Total length of seepage

$$L_{\text{creep}} = L_{\text{seep}}$$

$$= L_1 + L_2 + B + L_2 + L_1$$

$$= 2L_1 + B + 2L_2$$

b) Actual hydraulic gradient

$$i = \frac{H_{\text{net}}}{L_{\text{seep}}} = \frac{\Delta H}{L}$$

Independent of soil property

c) Critical hydraulic gradient

$$i_c = \frac{G_s - 1}{1 + e} = \frac{\gamma_{\text{sub}}}{\gamma_w} \quad [\sigma' = 0]$$

Dependent on soil property only
and it is independent of
i) head of water and
ii) seepage length.

d) For sand boiling $i \geq i_c$

$$\Rightarrow \frac{\Delta H}{L} \geq \frac{G_s - 1}{1 + e}$$

e) For no sand boiling (No piping)

$$i < i_c$$

$$i = \frac{i_c}{F.O.S} = \frac{\frac{G_s - 1}{1 + e}}{F} \quad e = \frac{n}{1 - n}$$

$$i = \frac{\frac{G_s - 1}{1 + \frac{n}{1 - n}}}{F} = \frac{(G_s - 1)(1 - n)}{F}$$

14) Seepage Analysis:-

a) Mr. Bligh creep theory

b) Mr. Lane theory Weighted creep theory

Vertical weightage = 1

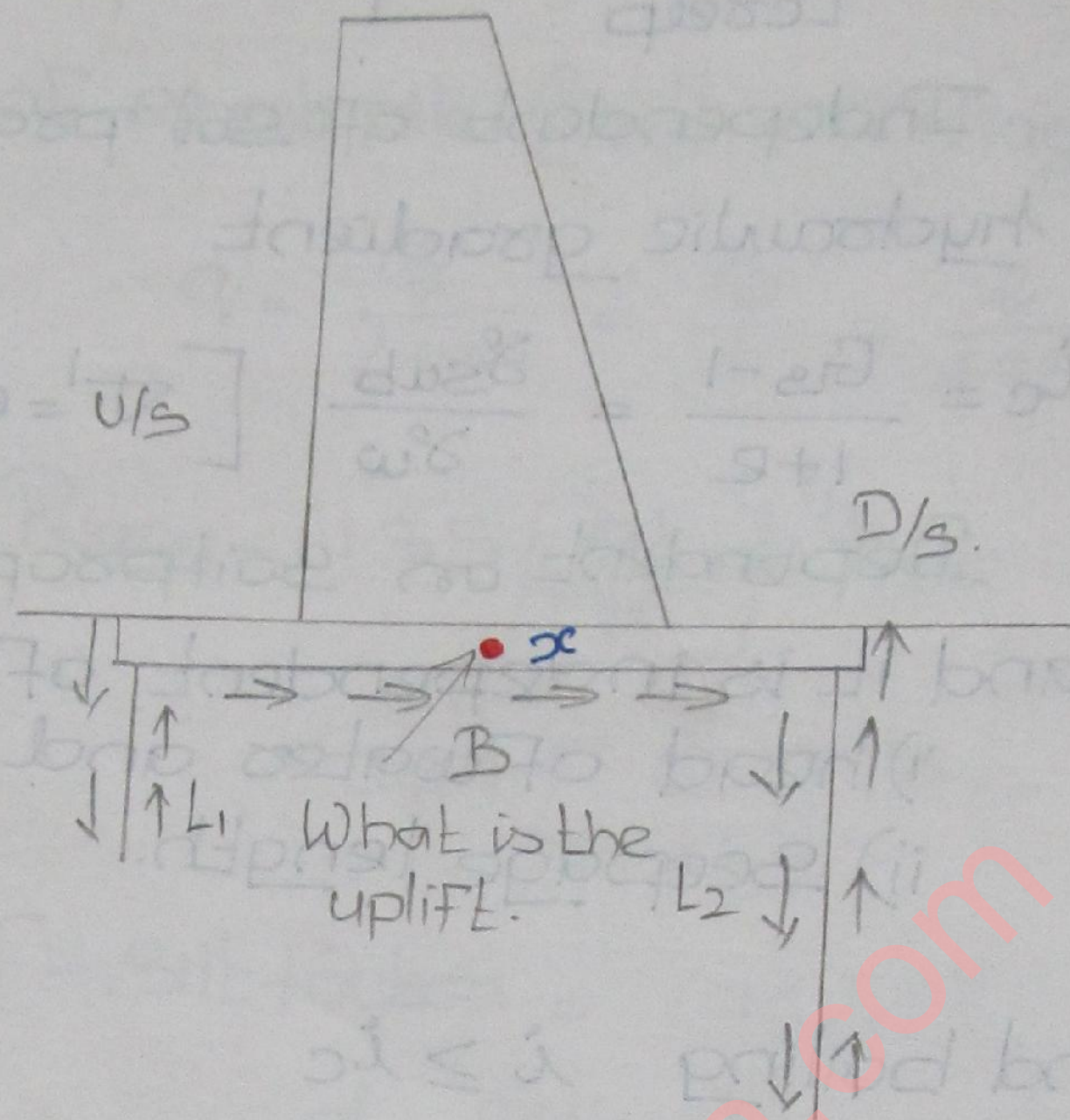
Horizontal weightage = $\frac{1}{3}$

c) Mr. Khosla theory

- Independent variable theory

Most widely used in India

15) According to Mr. Bligh, horizontal and vertical weightage are of Equal weightage



$$\text{Seepage length} = 2L_1 + B + 2L_2$$

Seepage length at middle of floor

$$\begin{aligned} L_c' &= L_1 + L_2 + B/2 \\ &= 2L + B/2 \end{aligned}$$

$$\therefore \text{For } L_c = (2L_1 + 2L_2 + B) \text{ head lost} = H_{net}$$

$$\therefore \text{For } 1 \text{ head lost} = \frac{H_{net}}{L_c}$$

$$\therefore \text{For } L_c' \text{ head lost} = \frac{H_{net}}{L_c} \times L_c'$$

$$\text{Head available at pt } x \propto H_x = H_{net} - \frac{H_{net}}{L_c} L_c'$$

$$H_x = H_{net} \left(1 - \frac{L_c'}{L_c} \right)$$

$$H_x = \frac{p}{\gamma} + \frac{v^2}{2g} + z$$

$$H_x = H_{net} \left[1 - \frac{(2L_1 + B/2)}{(2L_1 + 2L_2 + B)} \right]$$

16) According to Mr. Lane

$$V = \frac{2}{3} \quad \text{or} \quad V = 1 \quad \text{(practical)}$$

$$H = 1 \quad \text{Theory part} \quad H = \frac{1}{3} \quad \text{Numerical}$$

$$\text{Total creep length} = (L_c = L_1 + L_1 + \frac{B}{3} + L_2 + L_2)$$

$$L_c = 2L_1 + \frac{B}{3} + 2L_2$$

$$= 2(L_1 + L_2) + \frac{B}{3}$$

Creep length upto x

$$L_c' = L_1 + L_1 + \left(\frac{B}{2}\right) \frac{1}{3}$$

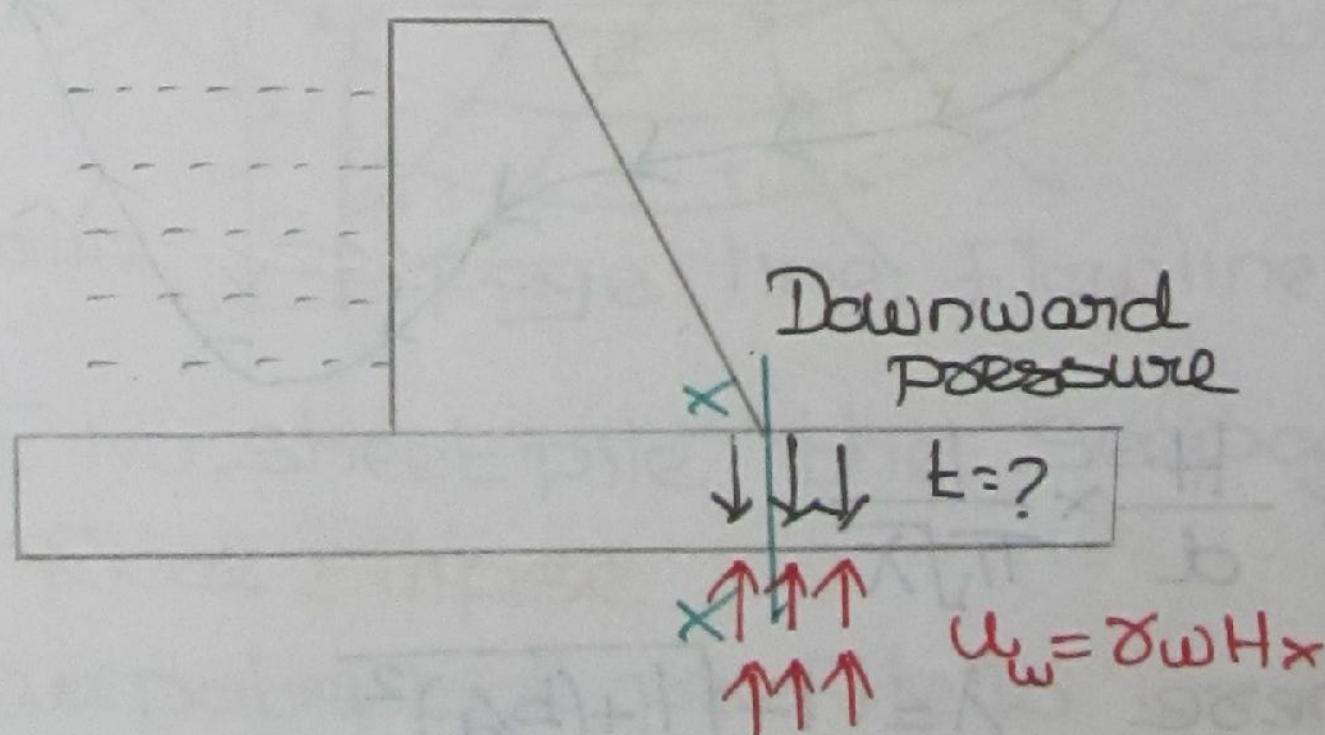
$$= 2L_1 + \frac{B}{6}$$

Uplift @ x

$$H_x = H_{net} \left[1 - \frac{L_c'}{L_c} \right]$$

$$= H_{net} \left[1 - \frac{2L_1 + B/6}{2(L_1 + L_2) + B/3} \right]$$

17) Thickness of Floor:-



uplift pressure due to seepage at xx

= Downward pressure due to submerged self weight of floor.

$$\gamma_w \times H_x = (\gamma_{\text{Floor}} - \gamma_w) t$$

$$G_s = \frac{\gamma_s}{\gamma_w}$$

$$\gamma_s = G_s \gamma_w$$

$$L_{\text{floor}} = \frac{\gamma_w \times H_{\text{net}} \left(1 - \frac{L_c'}{L_c}\right)}{(G_s \gamma_w - \gamma_w)}$$

$$= \frac{H_{\text{net}} \left(1 - \frac{L_c'}{L_c}\right)}{G_s - 1}$$

$$** \quad L_{\text{Floor}} = \frac{H_x}{G_s - 1} \quad **$$

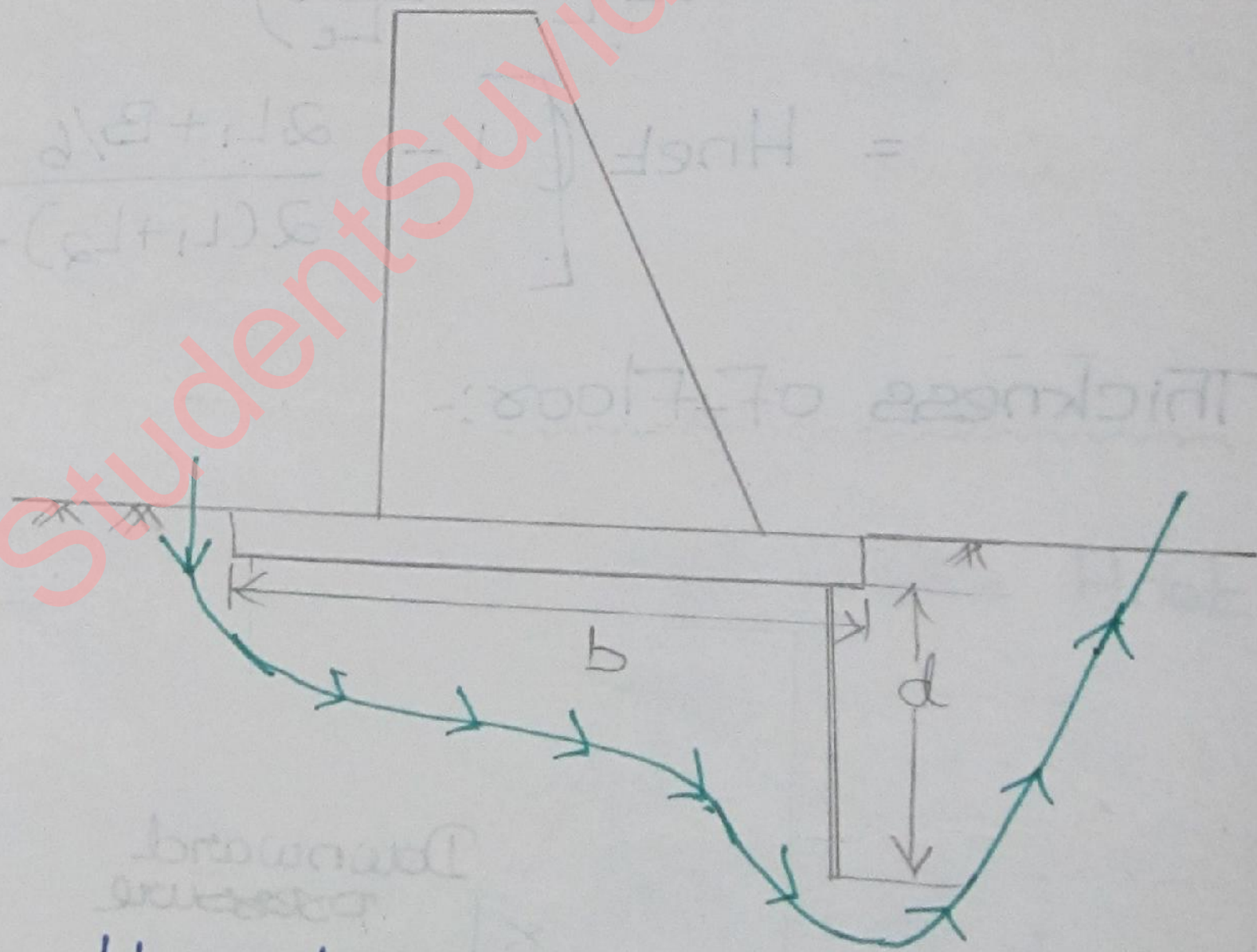
H_x - uplift head at x'

$$= H_{\text{net}} \left(1 - \frac{L_c'}{L_c}\right)$$

F.O.S of thickness of floor = $\frac{4}{3}$

$$L_F = \frac{4}{3} \frac{H_x}{G_s - 1}$$

18) Khosla theory:-



$$i = \frac{H}{d} \times \frac{1}{\pi \sqrt{\lambda}}$$

where $\lambda = \frac{1 + \sqrt{1 + (b/d)^2}}{2}$

Note:-

1) If no sheet pile $d = 0$ and hence

$$i = \frac{H}{d} \times \frac{1}{\pi \sqrt{\lambda}} = \frac{H}{0} \times \frac{1}{\pi \sqrt{\lambda}} = \infty$$

$$i_c = \frac{G_s - 1}{1 + e} = (1 - n)(G_s - 1)$$

$i < i_c$ For No sand boiling

$$i = \frac{i_c}{F.O.S}$$

F.O.S = 4-5 \rightarrow Shingle (large size gravel)

= 5-6 \rightarrow ~~Medium~~ ^{Coarse} grained

= 6-7 \rightarrow Fine grained.

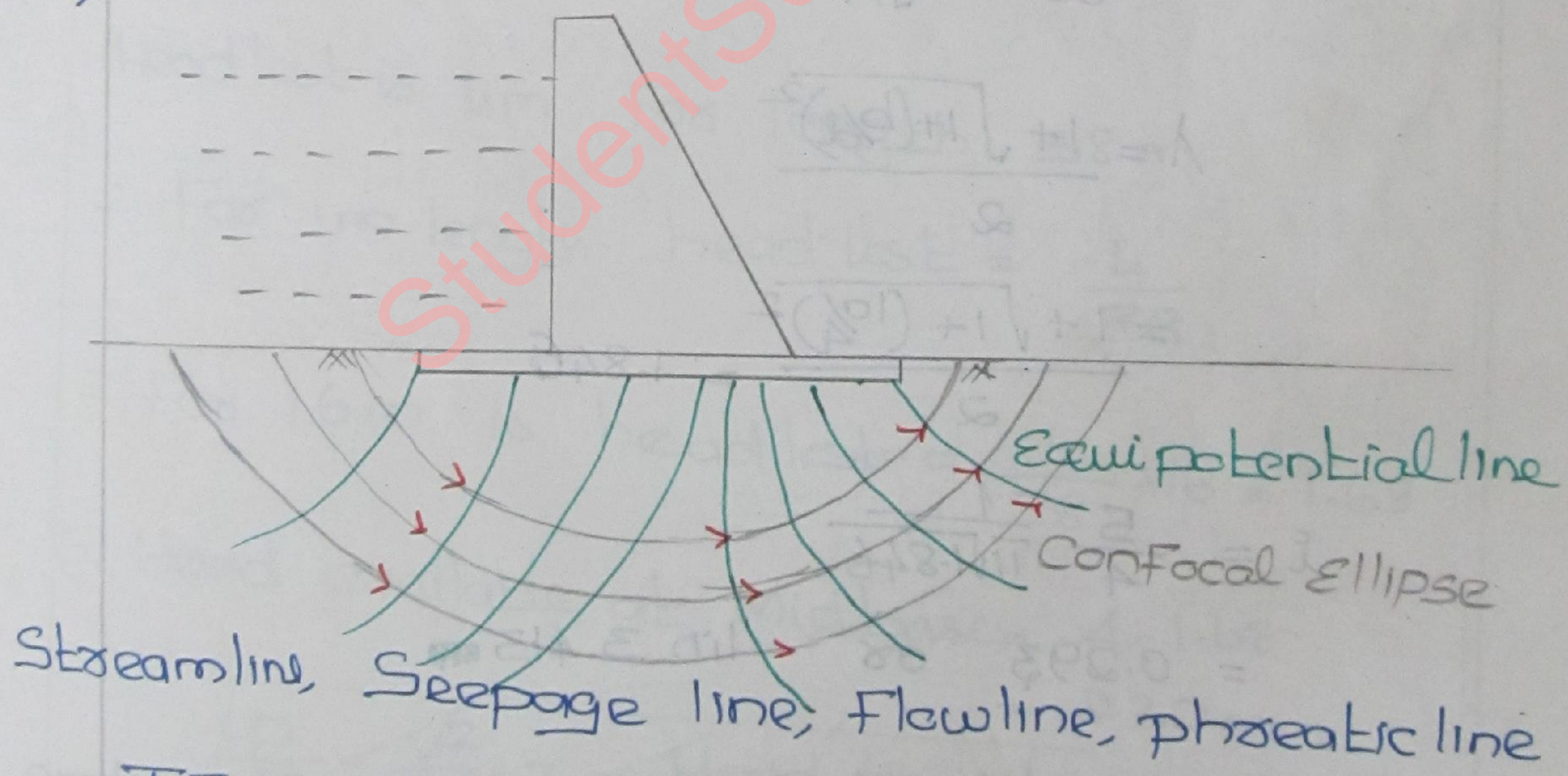
$$i = \left(\frac{1}{4} \text{ to } \frac{1}{5}\right) i_c - \text{Shingle}$$

$$= \left(\frac{1}{5} \text{ to } \frac{1}{6}\right) i_c - \text{Medium grained}$$

$$= \left(\frac{1}{6} \text{ to } \frac{1}{7}\right) i_c - \text{Coarse grained}$$

$$i_c = \frac{2.65 - 1}{1 + 0.65} = 1 \text{ (Generally)}$$

19)



IF No sheet pile the Seepage profile is **Confocal ellipse**

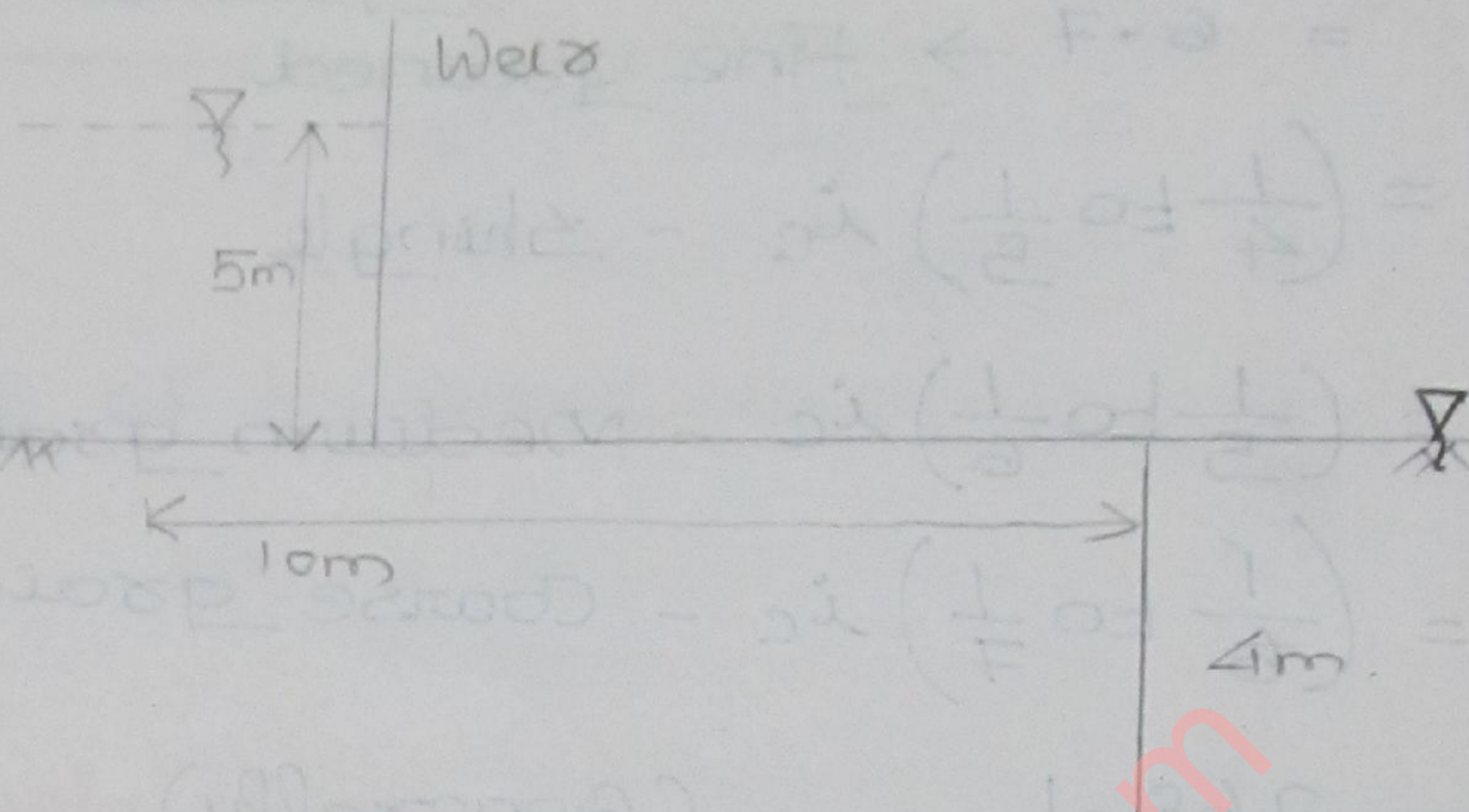
Equipotential profile is **Confocal hyperbola**

A curve perpendicular to ellipse is **hyperbola**.

9/12/2010

Numericals:-

- 1) A Weir on a permeable foundation with downstream sheet pile is shown in the fig below. Determine the exit gradient as per Khosla theory.



$$H \quad i = \frac{H}{a} \frac{1}{\pi \sqrt{\lambda}}$$

$$\lambda = \frac{1 + \sqrt{1 + (b/d)^2}}{2}$$

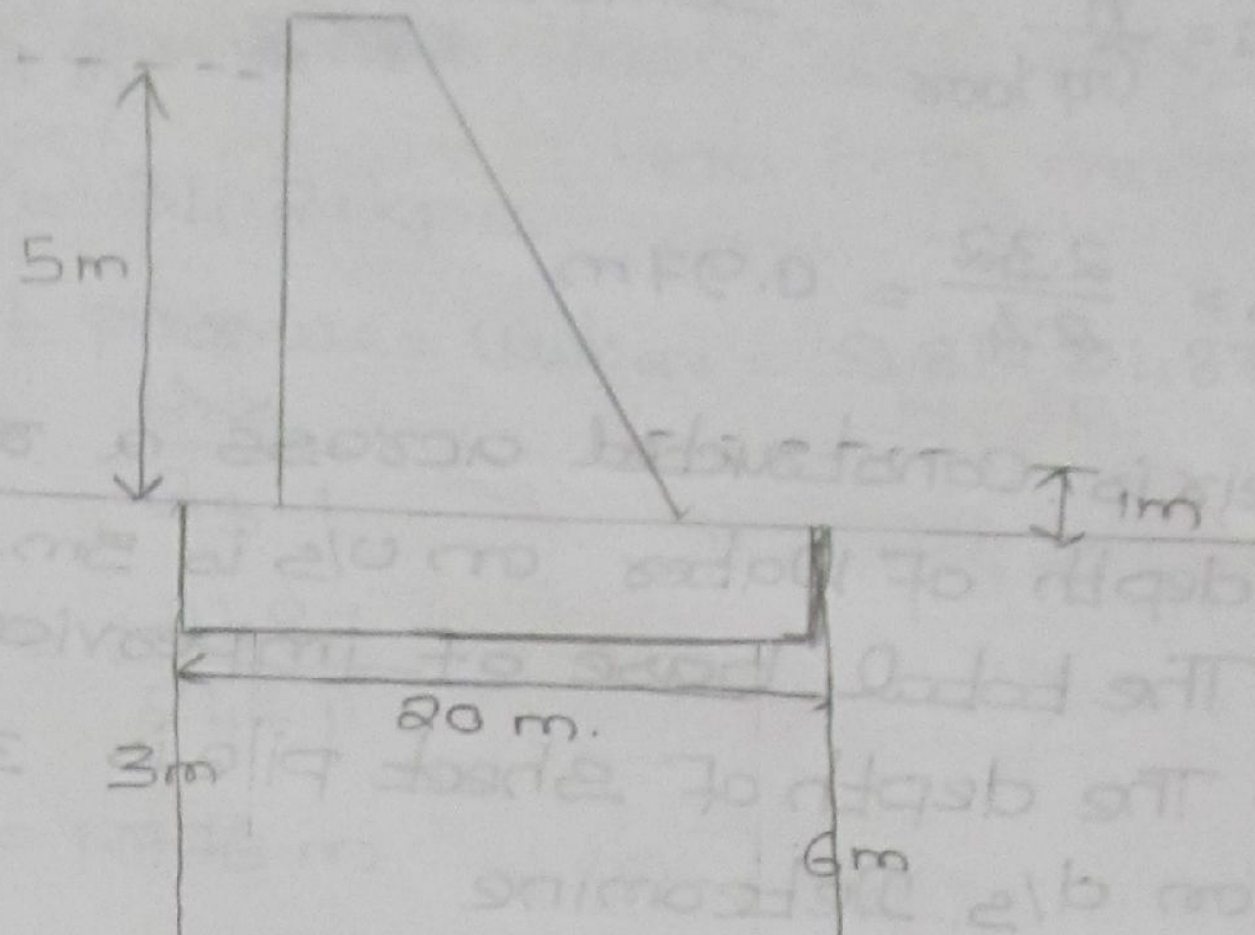
$$= \frac{1 + \sqrt{1 + (10/4)^2}}{2} = 1.846$$

$$i = \frac{5}{4} \frac{1}{\pi \sqrt{1.846}}$$

$$= 0.293 \quad \text{or} \quad \ln 3.413$$

- 2) A Weir is constructed across a river where the depth of water on U/s is 5m and on D/s is 1m. Total base of impervious floor is 20m. There are two sheet piles having depth 3m and 6m. on U/s & D/s. Determine
- uplift pressure @ mid of base
 - Thickness of floor @ mid section
- Use Bligh theory. Take $G_s = 2.65$ (soil)

$$G(\text{Floor}) = 2.4$$



$$\text{Creep length} = 2 \times 3 + 20 + 2 \times 6$$

$$= 38 \text{ m.}$$

$$\text{Creep length till Mid length} = 2 \times 3 + 10$$

$$= 16 \text{ m.}$$

Head lost is 4m For length 38 m

$$\therefore \text{For 1m length head lost} = \frac{4}{38}$$

$$\therefore \text{For 16m head lost} = \frac{4}{38} \times 16 = 1.68$$

$$\text{Head available at Mid base} = 4 - 1.68$$

$$= 2.32 \text{ m}$$

$$\frac{P}{\gamma} + \frac{V^2}{2g} + z = \text{Head available}$$

$$\frac{P}{\gamma} + 0 + 0 = 2.32$$

$$\frac{P}{\gamma} = 2.32$$

$$P = 2.32 \times 9.81$$

$$= 22.76 \text{ kpa}$$

$$L_{\text{Floor}} = \frac{H \times}{G_s - 1} = \frac{2.32}{2.4 - 1} = 1.66 \text{ m}$$

$$u_3 = P = \gamma_w h_{\text{avail}}$$

Note:-

$$b = \frac{h}{G_{\text{Floor}}} \quad - \text{ Sometimes}$$

$$b = \frac{2.32}{2.4} = 0.97 \text{ m.}$$

3) A Weir is constructed across a river where the depth of water on u/s is 5m. and on d/s is 1m. The total base of impervious floor is 20m. The depth of sheet pile is 3m on u/s and 6m on d/s. Determine

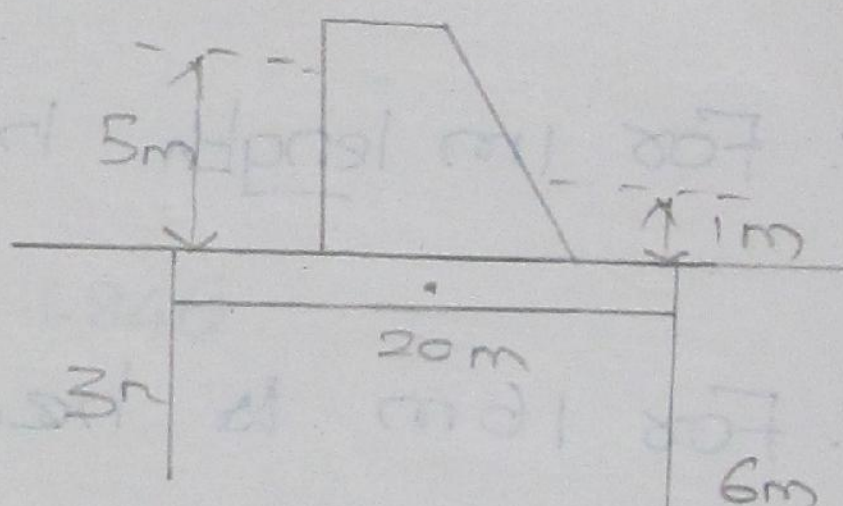
- i) Exit gradient
 - ii) Seepage pressure @ mid of base
 - iii) Thickness of floor @ mid of base
 - iv) Critical exit gradient
 - v) Safe exit gradient if F.O.S is 5
- Use Lane theory. Take $G_{\text{Soil}} = 2.65$ $G_{\text{Floor}} = 2.4$
 $n = 0.4$.

$$i) \quad L_e = 3 \times 2 + \frac{1}{3} \times 20 + 6 \times 2$$

$$= 24.67$$

$$H_{\text{net}} = (5 - 1) = 4 \text{ m}$$

$$i_a = \frac{\Delta H}{L} = \frac{4 \text{ m}}{24.67 \text{ m}} = 0.162 \text{ m. (lin-6.17)}$$



$$ii) \quad L_e' = 3 \times 2 + \left(\frac{1}{3} \times 20\right) \frac{1}{2} = 9.33 \text{ m.}$$

For 24.67 m Head lost is 4 m

$$\therefore \text{ For } 9.33 \text{ m Head lost is } \frac{4}{24.67} \times 9.33 = 1.513$$

$$H_{\text{available}} = 4 \text{ m} - 1.513 \text{ m} = 2.487 \text{ m.} > \text{ Bligh residual head}$$

$$\frac{p}{\rho} + \frac{v^2}{2g} + z = H_{\text{available}}$$

$$\frac{P}{9.81} + 0 - 0 = 2.487$$

$$\frac{P}{9.81} = 2.487$$

$$(\text{Seepage}) P = 34.21 \text{ kPa}$$

$$\text{iii) Uplift pressure} = u_{\text{head}} = 9.81 \times 2.487 = 24.4 \text{ m}$$

$$L_{\text{Floor}} = \frac{H_{\text{wt}}}{G_s - 1}$$

$$= \frac{2.487}{2.4 - 1}$$

$$= 1.776 \text{ m.}$$

$$\text{iv) } i_c = \frac{G_s - 1}{1 + e}$$

$$e = \frac{n}{1 - n} = \frac{0.4}{1 - 0.4} = 0.67$$

$$i_c = \frac{2.65 - 1}{1 + 0.67} = 0.988 \text{ (lin 1.012)}$$

$$\text{iv) Safe exit gradient} = \frac{i_c}{F.O.S} = \frac{0.988}{5} = 0.198 \text{ (lin 5.051)}$$

4) Determine the safe exit gradient if $G_s = 2.65$ and void ratio 0.65 use Coarse Sand Khosla theory

$$i_c = \frac{G_s - 1}{1 + e} = \frac{2.65 - 1}{1 + 0.65} = 1$$

$$i_{\text{safe}} = \frac{i_c}{F.O.S}$$

$$\text{Coarse graind} = \frac{1}{5} \text{ to } \frac{1}{6}$$

$$i_{\text{safe}} = \frac{1}{5} \text{ to } \frac{1}{6} = 0.2 \text{ to } 0.167$$

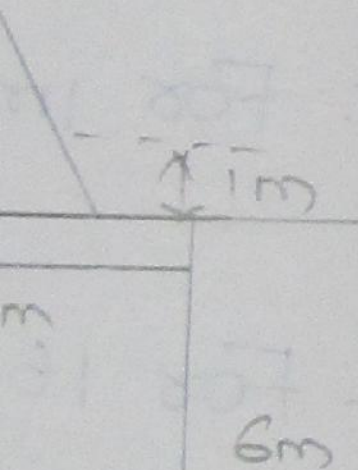
river where
n. and on d/s is
and floor is
3m on u/s and

base

base

S

$$G_{\text{Floor}} = 2.4$$



(lin 6.17)

$$0.33 = 1.512$$

> Bligh
residual
head

- 5) A river carries total discharge 10 cumec/m width. The mean size of the silt 0.03 cm. Determine the depth of sheet pile on upstream and downstream below water level

$$F = 1.76 \sqrt{d}$$

$$= 1.76 \sqrt{0.03 \times 10}$$

$$= 0.964$$

$$R_{Lacy} = 1.35 \left[\frac{q^2}{F} \right]^{1/3}$$

$$q = \frac{Q}{L \times w} = 10 \text{ cumec/m}$$

$$R_{Lacy} = 1.35 \left[\frac{10^2}{0.964} \right]^{1/3}$$

$$= 6.34 \text{ m}$$

$$\text{Depth of U/s pile} = 1.5 R_{Lacy} \text{ from HFL}$$

$$= 9.51 \text{ m from HFL}$$

$$\text{Depth of D/s pile} = 2 R_{Lacy} \text{ from HFL}$$

$$= 2 \times 6.34$$

$$= 12.68 \text{ m from HFL}$$

Important Notes:-

- ** 1) Width of water way during design of a barrage is determined by Lacey formula for wetted perimeter and discharge capacity of barrage as computed by Weir equations.
- 2) Barrage Floor thickness is determined by Khosla uplift pressure variation.

0.03 cm
silt on
water

- 3) Depth of sheet pile and the total length of the barrage floor depends upon the Lacey scow depth and khosla exit gradient
- 4) The level and the length of the down stream floor is determined by hydraulic jump consideration.
- 5) IF there is no sheet pile, then exit gradient became infinity (only for khosla theory)
- 6) IF there is no sheet pile then
Stream line - Confocal ellipse
Equipotential line - confocal hyperbola
- 7) Construction of barrage is costlier than Weir.
- 8) Barrage consist of a series of gates which are operated mechanically to lift up during high flood to control afflux
- 9) The characteristic of barrage is not to for reservoir to store
- 10) The barrage provides better control over the river than that of the weir
- **
11) The design capacity of under sluice or scow sluice shall be based on
 - a) Twice the discharge of the canal
 - b) About 15% flood discharge (10-15%) of river
 - c) Winter flow of the river

a barrage
letted
barrage.
ed by

Note:-

It is not based on 50% 100 year flood frequency discharge of the river